

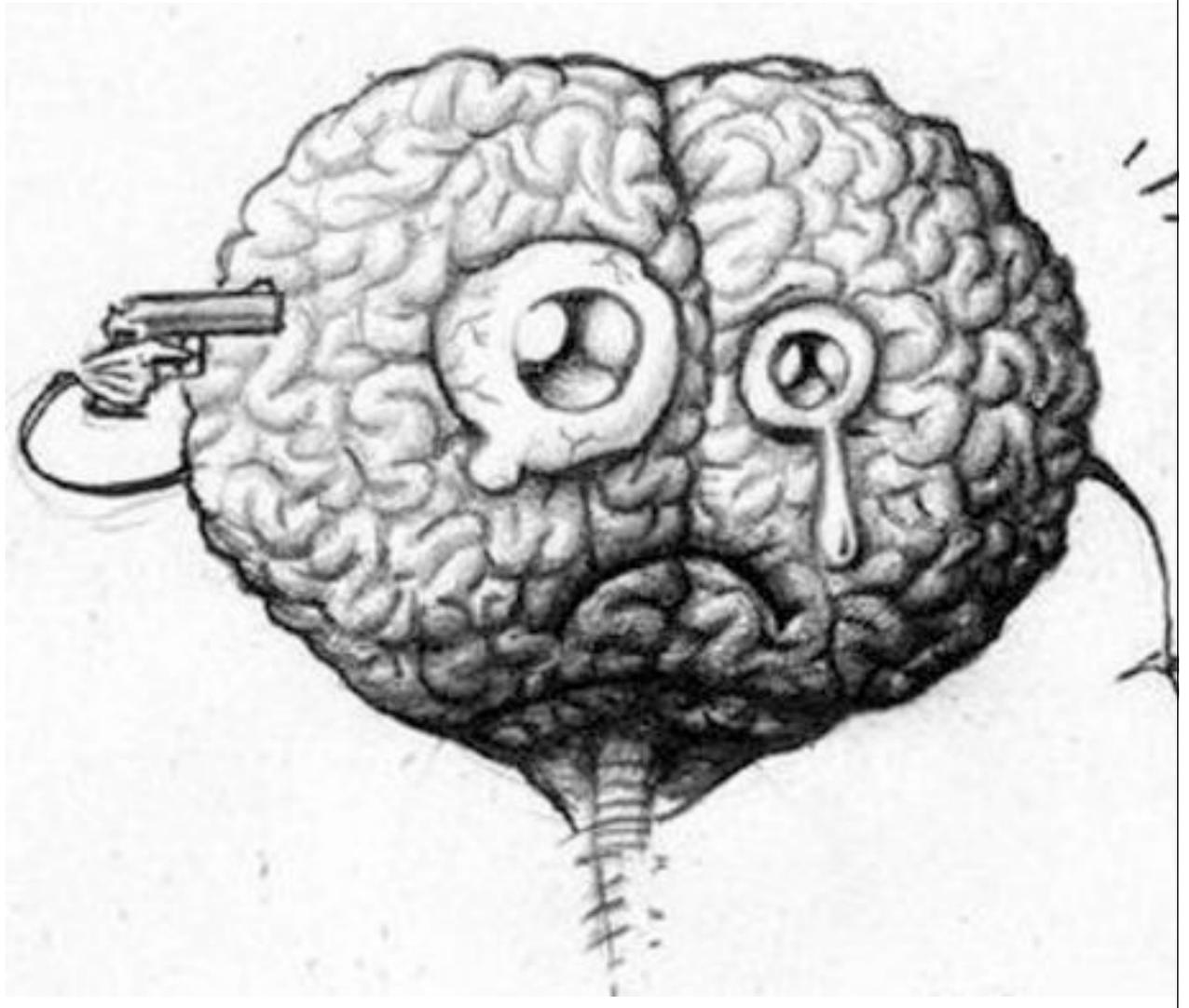
Clase 25

30/04/2013

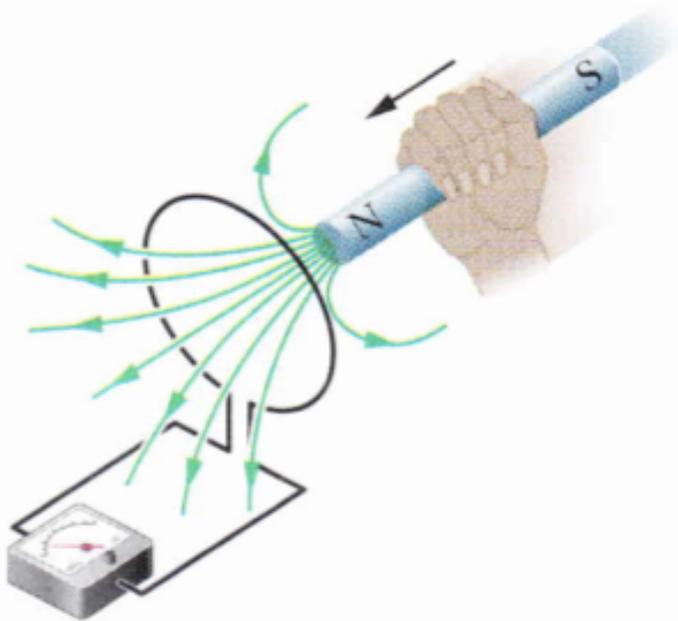
Lecturas 30.5 - 30.10

**Exámen Final**  
**Martes 14 de Mayo, 11:00 AM**

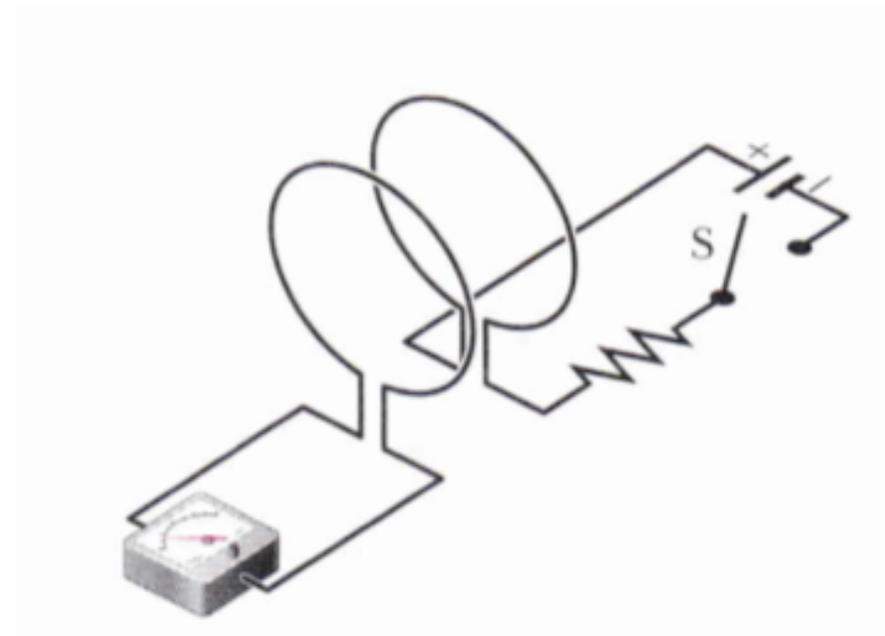
B401 Sala Kogi



# Ley de inducción de Faraday

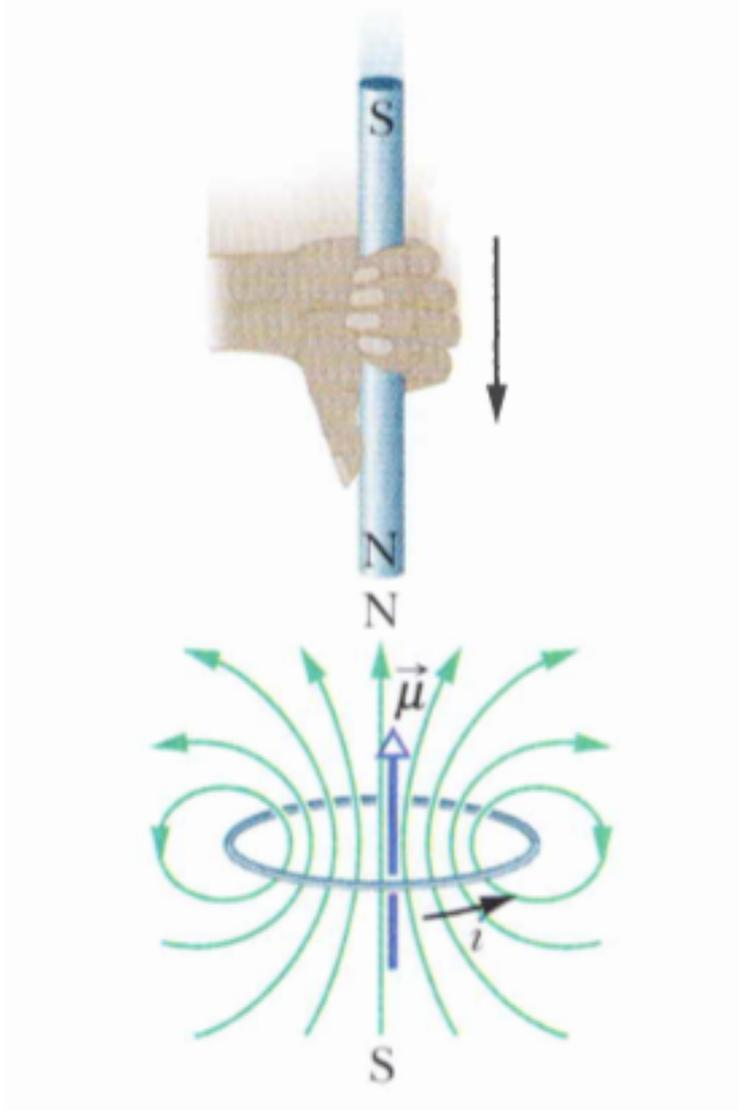


$$\Phi_B = \int \vec{B} \cdot d\vec{A}$$



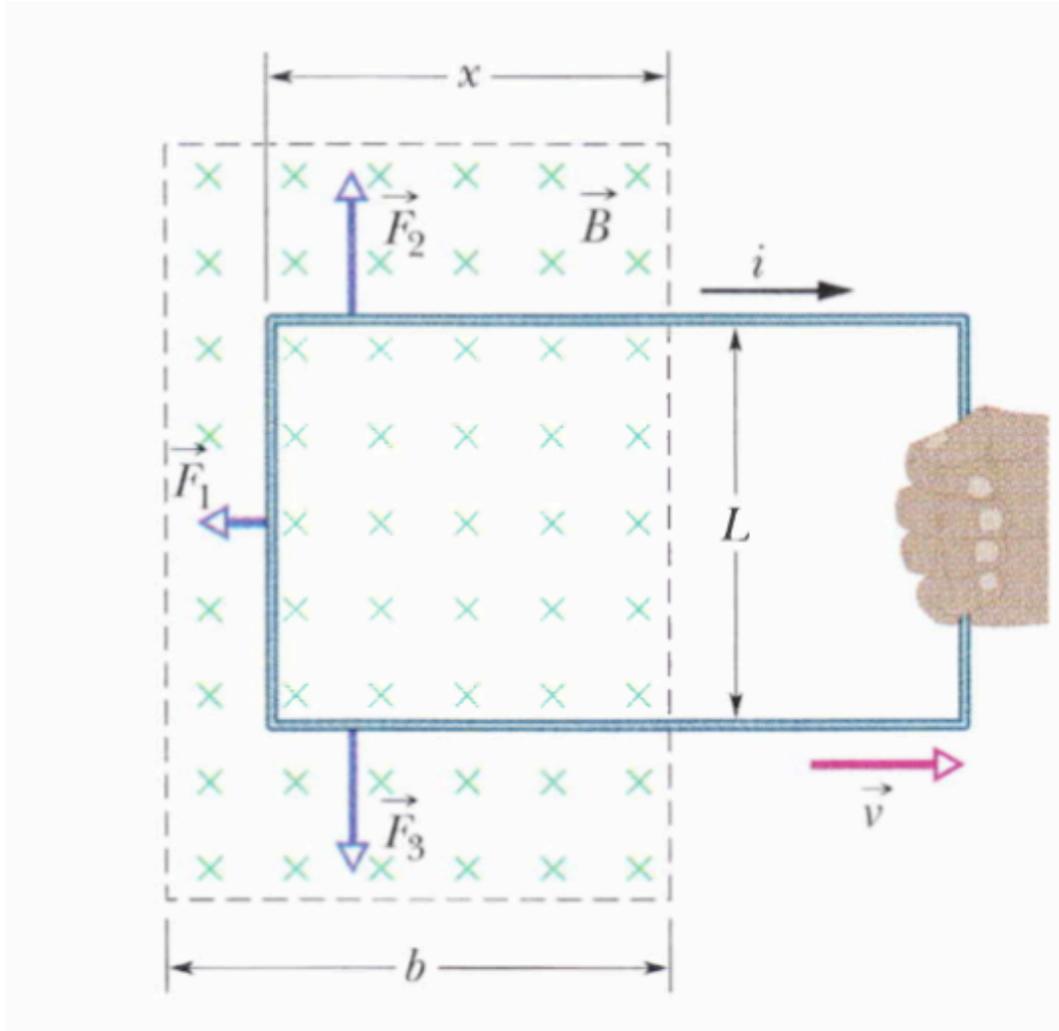
$$\Phi_B = BA \quad (\vec{B} \perp \text{area } A, \vec{B} \text{ uniform}).$$

# Ley de Lenz



Una corriente inducida tiene una dirección tal que el campo magnético debido a la corriente inducida se opone al cambio de flujo magnético que induce la corriente

# Inducción



$$P = Fv,$$

$$\mathcal{E} = \frac{d\Phi_B}{dt} = \frac{d}{dt} BLx = BL \frac{dx}{dt} = BLv,$$

$$i = \frac{BLv}{R}.$$

## Fuerza magnética

$$\vec{F}_d = i\vec{L} \times \vec{B}.$$

$$F = F_1 = iLB \sin 90^\circ = iLB.$$

$$F = \frac{B^2 L^2 v}{R}.$$

El trabajo que se realiza al tirar del lazo en el campo magnético aparece como energía térmica en el lazo

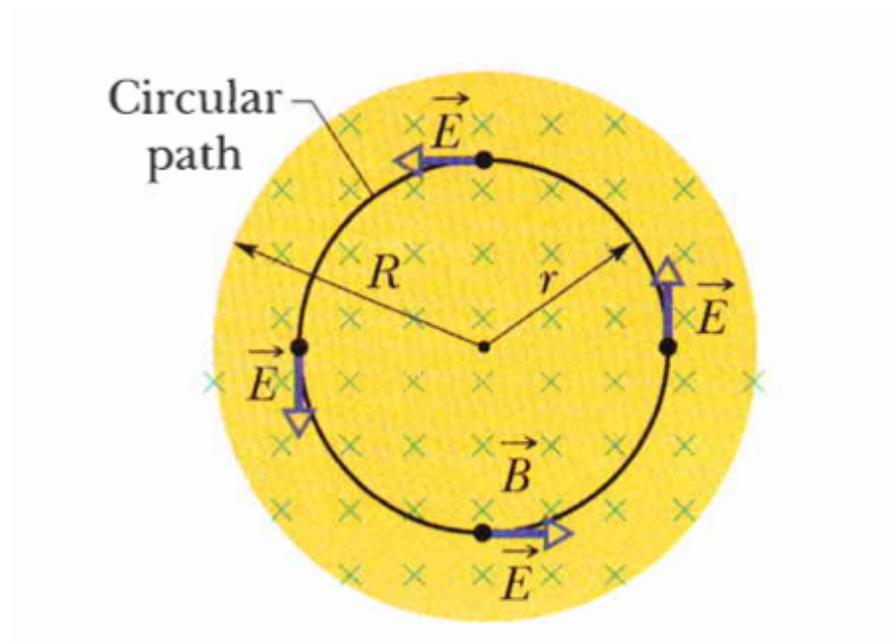
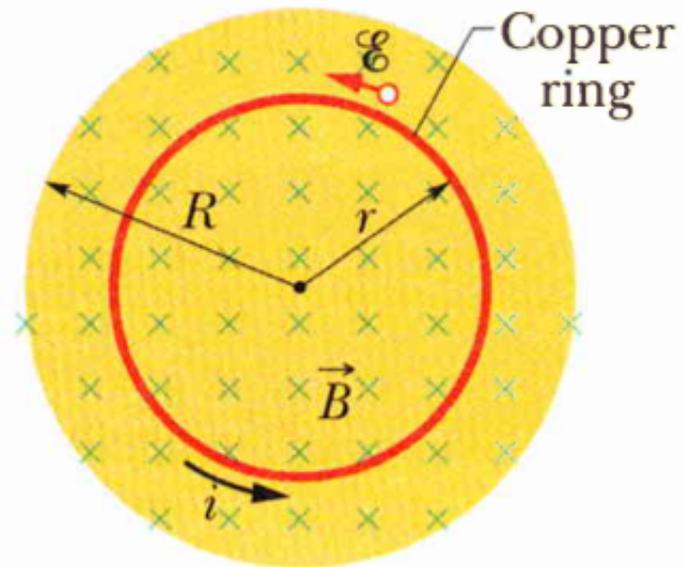
Razón a la que se hace trabajo

$$P = Fv = \frac{B^2 L^2 v^2}{R}$$

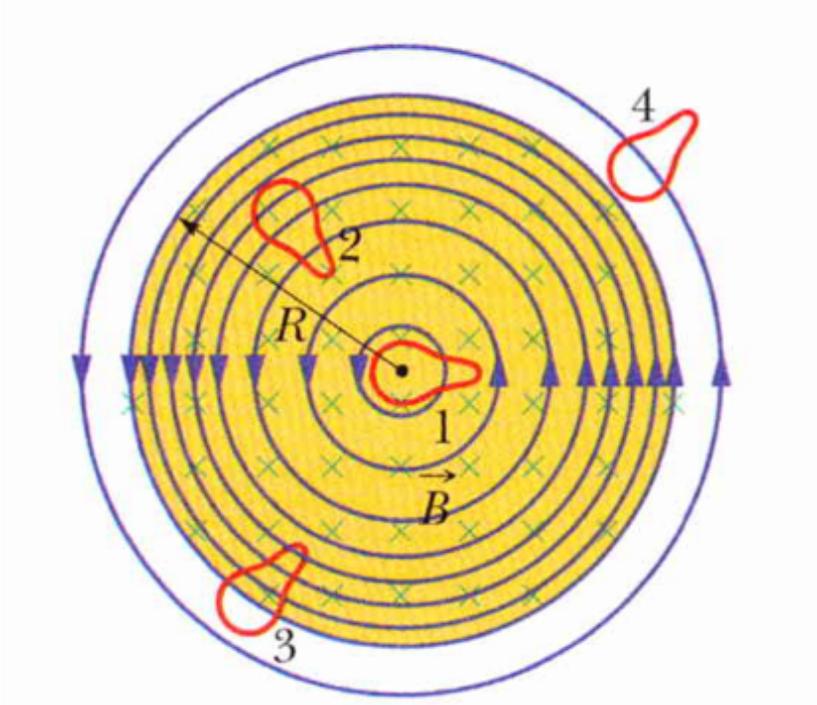
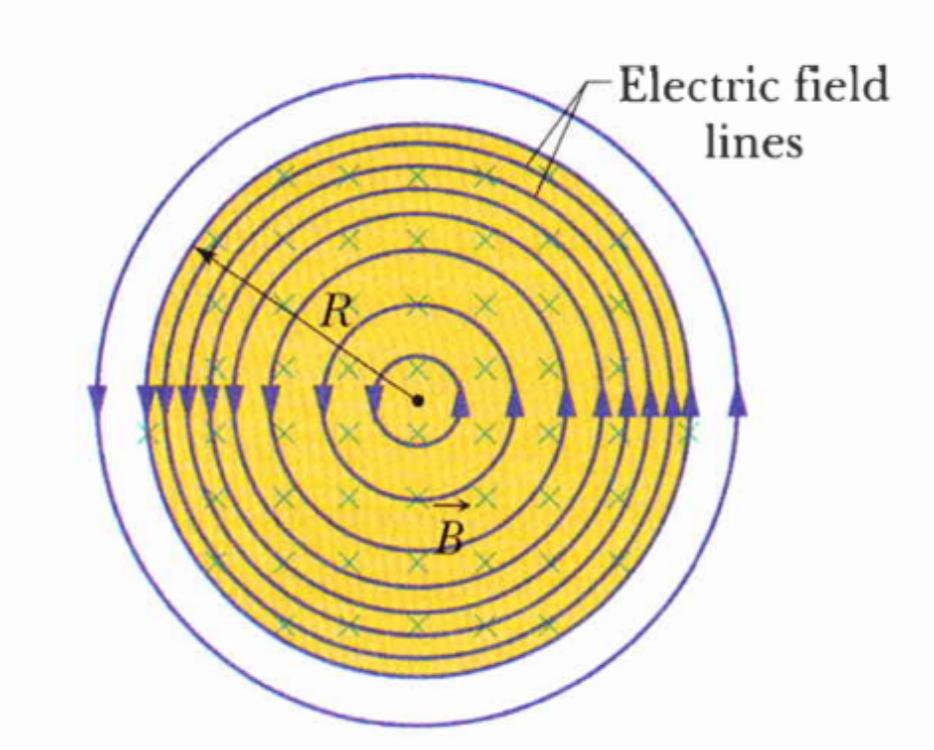
Razón de pérdida de E térmica

$$P = \left( \frac{BLv}{R} \right)^2 R = \frac{B^2 L^2 v^2}{R}$$

# Un campo magnético variable genera un campo eléctrico



# Un campo magnético variable genera un campo eléctrico



# Inductores e inductancia

$$L = \frac{N\Phi_B}{i}$$

$$1 \text{ henry} = 1 \text{ H} = 1 \text{ T} \cdot \text{m}^2/\text{A}.$$

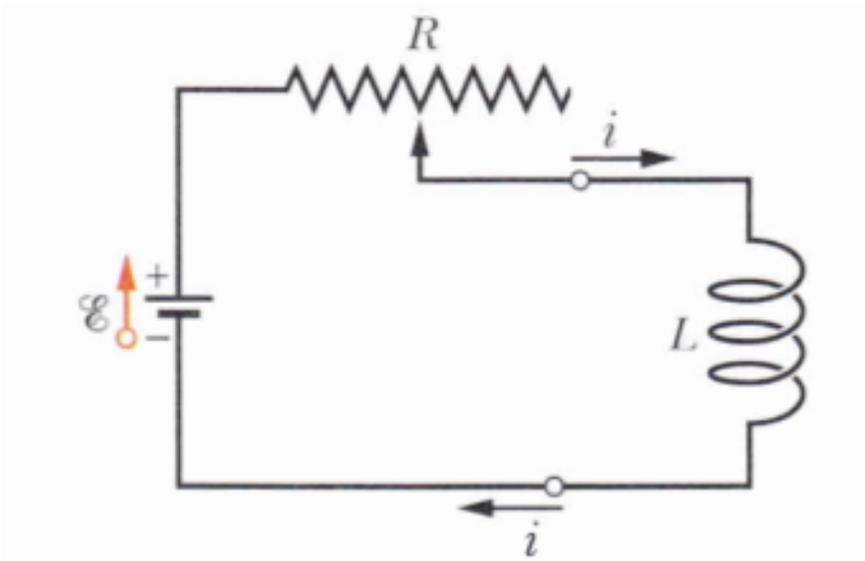
## Solenoides

$$N\Phi_B = (nl)(BA),$$

$$B = \mu_0 in,$$

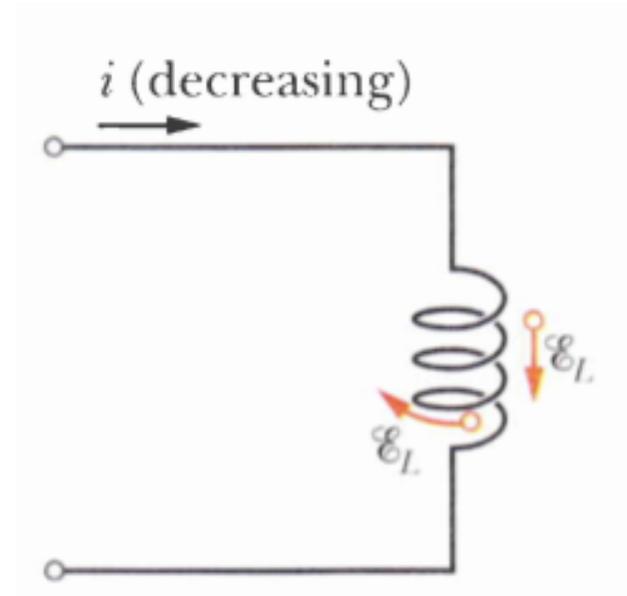
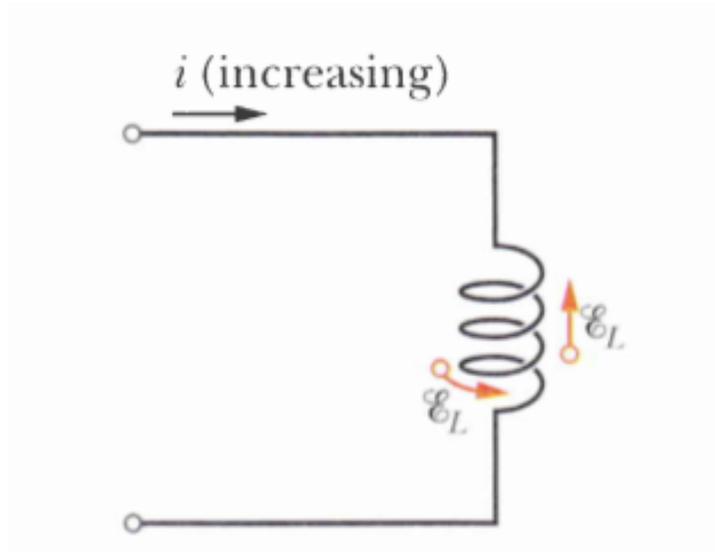
$$\begin{aligned} L &= \frac{N\Phi_B}{i} = \frac{(nl)(BA)}{i} = \frac{(nl)(\mu_0 in)(A)}{i} \\ &= \mu_0 n^2 l A. \end{aligned}$$

$$\frac{L}{l} = \mu_0 n^2 A$$



$$\begin{aligned}\mu_0 &= 4\pi \times 10^{-7} \text{ T}\cdot\text{m/A} \\ &= 4\pi \times 10^{-7} \text{ H/m.}\end{aligned}$$

# Autoinducción



$$N\Phi_B = Li.$$

$$\mathcal{E}_L = -\frac{d(N\Phi_B)}{dt}.$$

$$\mathcal{E}_L = -L \frac{di}{dt}$$

# Circuitos RL

$$q = C\mathcal{E}(1 - e^{-t/\tau_C}).$$

$$\tau_C = RC.$$

$$q = q_0 e^{-t/\tau_C}.$$

